

and its means of accomplishment is tightly connected to the attainment of a corresponding objective or objectives and their means of attainment.

One can also see from Fig. 11 how the proposed activity relates to the more comprehensive program. For example, the aforementioned activity must take into account the constraint "system operating costs" since it is directly related to that constraint by the activity's constraint interaction labeled "A". In turn, through the cross interaction labeled "B" and "A", it is seen that one of the major activities to consider in conducting the activity is "overall performance characteristics" and that the activity relates to the need for "commercial short-haul aircraft".

The cross interaction labeled "A", "B", "C", and "D" point out as would be expected, that the needs, attempts, and constraints previously discussed also affect the objective "to synthesize STOL system configuration to satisfy mission performance goals." The agency responsible for sustaining objectives and the agency responsible for accomplishing activities are also contained in Fig. 11. For the objective and activity discussed, these responsibilities are indicated by cross interaction "M" and "L", respectively.

The system analysis and optimization steps shown in Fig. 1 are generally concerned with reducing the number of program alternatives through the application of a wide variety of analysis procedures. In the highly contextualized nature of such procedures, they will not be discussed in this paper. For that reason, they will not be planned to produce an output which is consistent with the input requirements of the subsequent decision-making step.

Decision Making in Program Planning

Drawing the system synthesis step in program planning, there will have been defined measures for determining the attainment of program objectives. Also, a set of activities and activities measures for guiding subsequent activities toward the development of a complete program plan will have been defined. The questions that arise are: "What criteria will be used to select projects for development?" and "What information must be obtained in the system analysis and optimization steps in order to compare alternative projects?"

Four major factors concern the decision maker in evaluating alternative projects for possible further development. First, he must determine that the scope of the project under consideration is consistent with corporate or agency policy. This determination can be made by evaluating how well the candidate project satisfies the program objectives which are assumed to be in consonance with corporate or agency policy. A program whose scope is not consistent with corporate or agency policy would be rejected on the basis of this alone. Those projects that pass this initial screening are then rated in terms of the remaining three factors discussed below.

The second major factor is the comparative economics of the alternative projects. The analysis should look at the

long-range project costs, not just the development costs or the cost required to get a system into operation. Total life-cycle costs appear to be an appropriate economic measure since they include all system costs and put the cost analysis for each alternative project on an equitable basis for comparison.

The third factor, risk associated with projects, has received considerable emphasis recently, particularly by the Department of Defense. At least two types of risks should be considered in selecting projects. The first is the "risk due to nature." By this is meant the probability that a project will not succeed because the technical requirements are incompatible with basic physical laws. The second risk is the "risk due to technology." This risk is the probability that a project will be unsuccessful because it requires technology beyond the current state of the art even though no laws of nature appear to be limiting. Other types of risks would be appropriate in assessing programs with high-social content.

The fourth major factor to be considered by the decision maker is that of benefits which would result from the pursuit of each alternative project. Decision makers are faced with the problem of evaluating the worth of each project under consideration. Worth assessment [3] is a formal procedure for assessing the worth of discrete alternatives. It appears to be well suited to providing a "benefit" input.

Criterion Function

In comparing alternative projects, it is desirable to combine the major evaluation factors into a single, scalar-valued criterion function. Such a function must be reasonably general and easy to interpret if it is to have wide application. The function suggested here is derived by multiplying two parts to yield its value. The first part is the probability of being able to successfully carry out a candidate project, calculated by multiplying one minus the risk due to nature by one minus the risk due to technology. The second part of the criterion function is a cost-benefit factor composed of the weighted sum of inverse normalized project cost and project worth.

The criterion function is calculated for each alternative project. The criterion function is expressed as

$$Q_i = (1 - R_{n_i})(1 - R_{t_i})(aC_i^0 + bV_i)$$

where

- Q_i value of criterion function for i th project; for $i = 1, 2, \dots, q$, where q is the total number of projects under consideration;
- R_{n_i} risk of nature to the i th project $= 1 - \prod_k (1 - r_{k,i}^n)$, where $r_{k,i}^n = (k = 1, 2, \dots, m)$ is the risk due to nature to the k th project characteristic of the i th project, where m is the total number of project characteristics for which risk due to nature is estimated;
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- C_i^0 normalized inverse life-cycle cost of i th alternative project $= (1/C_i) \min_j C_j$, where C_i is the estimated cost of i th alternative project;
- a weighting factor for normalized inverse life-cycle costs;
- b $(1 - a) =$ weighting factor for worth scores;
- V_i worth score for i th alternative project. $(0 \leq V_i \leq 1; i = 1, 2, \dots, q)$.

The criterion function combines the risk factors with a weighted average of inverse normalized life-cycle cost and worth assessment score. The ideal configuration/program alternative combination would have zero risk due to nature, zero risk due to technology, the least life-cycle cost of any alternative project, and a worth score of 1.0. In this ideal situation, the criterion function would have a value of 1.0.

If the risk due to nature or the risk due to technology for any project characteristic is 1 (that is, the characteristic is judged to be impossible to meet), then the probability of successfully developing the configuration under consideration is zero and its criterion function has a zero value. Since the risk due to nature and risk due to technology will each be greater than or equal to the maximum risk of each contributing risk factor, careful consideration must be given to the estimation of each risk factor. The computation of risk draws attention to those factors that would potentially prevent project success and helps ensure that a critical factor is not ignored.

Weighting factors "a" and "b = (1 - a)" allow changing the relative importance of the cost and worth factors. The choice of values for a and b will be governed by such factors as confidence in the cost analysis (e.g., low confidence; make "a" small), the magnitude of the costs relative to total resources, and the significance of the benefits that could be used depending upon the sensitivity to cost. For example,

$$C_i^0 = \frac{\max_j C_j - C_i}{\max_j C_j - \min_j C_j}$$

provides a linear weighting to cost variation between the maximum and minimum cost projects. The cost normalization scheme suggested earlier provides considerable sensitivity to cost variations near the minimum cost and much lower sensitivity and a lower weight to costs much greater than the minimum cost. Numerous other ways of normalizing the project cost estimates are available and should be examined in the context of the particular problem under study.

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not as important, however, as the relative value for each alternative project.

Project selections are made on the basis of the program scope being consistent with corporate or agency policy, as mentioned earlier, and the relative values of the criterion function for each project. If the criterion values are low, the reasons for this should be considered and action taken in the subsequent project planning phase to investigate the reasons underlying the low values.

Evaluation of Risks

In the program planning phase, the evaluation of risks inherent in pursuing various alternative projects is usually dependent upon expert opinion and subjective judgment rather than detailed analyses. A typical approach to risk evaluation is to make a detailed breakdown of the functional performance factors forecasted for each project and to call in experts in each of the functional areas to assess risks due to nature and technology associated with attaining the projected performance. Care should be taken in defining the functional performance factors to assure that they are all of about the same level of importance and that the risks are due to independent causes. This care is suggested since the value of the criterion function is equally sensitive to each risk associated with each factor and the risk calculation assumes independence of risks.

High-risk performance factors should be flagged so that subsequent project planning calls for an early second assessment of the high-risk performance factors for each of the projects selected for further development.

Worth Assessment

Worth assessment is a formal procedure for assessing the worth of discrete alternatives in the decision-making environment. The following is a brief outline of a worth assessment procedure developed by Miller, [3].

- A. Define worth criteria.
 - List criteria for worth assessment ensuring list:
 - 1) contains all significant criteria;
 - 2) contains only mutually exclusive criteria;
 - 3) contains only criteria of major significance;
 - 4) contains only worth independent criteria.
- B. Develop hierarchical structure of worth assessment criteria.
 - Break down high-level worth assessment criteria into one or more lower level criteria which contribute to the high-level criteria.
- C. Develop performance measures.
 - Select a single physical-performance measure for each lowest level worth assessment criterion in the hierarchical structure.
- D. Develop worth relationships between performance measures and lowest level worth assessment criteria.
 - Define a scoring function to assign a unique worth score in points to every possible value of a physical performance measure. A scoring function is defined, either explicitly or implicitly for every lowest level worth assessment criterion.

- E. Develop a single overall index of worth.
 - Define an additive weighting function with constant trade-off weights to combine the lowest level criteria worth scores.

The index of worth is devoid of any risk and/or uncertainty. It assumes that the project, activity, or performance consequence being evaluated will occur for certain and the process of assigning a worth number provides no mechanism for reflecting perceived trade-offs between the worth of an outcome, conditional upon its actual occurrence, and the variable risk or uncertainty surrounding its occurrence. The index of worth appears to complement the Criterion Function which has separate risk factors built into it.

Miller's worth-assessment technique relates to program planning in another way. The objectives measures provide a baseline upon which to develop the worth assessment criteria and performance measures of each alternative project. Also, the objectives interaction matrix and other interaction matrices that relate the objectives to constraints, alterables, needs, and societal sectors provide considerable visibility to the relative importance of the worth assessment criteria. The task of weighting the worth assessment criteria can then be done in relation to their contribution to the related needs, constraints, etc.

As part of the worth assessment procedure, the relation of the performance measures to the needs should be examined and used to develop the scoring functions that relate the performance measure of each lowest level performance criterion to a worth score. The relation of performance measures to needs should also be considered when developing the adjusting factors to compensate for the fact that performance measures may not adequately represent the performance criteria. Worth assessment is recommended as a formal approach to evaluating the comparative worths of alternative projects. The resulting worth scores satisfy the requirement of the criterion function for a worth score for each alternative project.

SUMMARY

The systems engineering steps required to do program planning are not related only to their neighboring steps nor are they carried out in a sequential temporal order. Rather, they form a logical set of operations that are highly interrelated and consequently must be continually reviewed with respect to each other as program planning progresses. In planning a complex program, the linkages between these operations tend to become buried in the complexity of the problem rather than being emphasized and given visibility. The set of interaction matrices illustrated in Figs. 10 and 11 provides a visible means of organizing and managing program planning activities.

Decision making will always require the subjective input of experienced managers. Nevertheless, formal evaluation techniques are helpful in assessing the relative merits of alternative projects that comprise a program. The criterion function described in this paper combines the factors of

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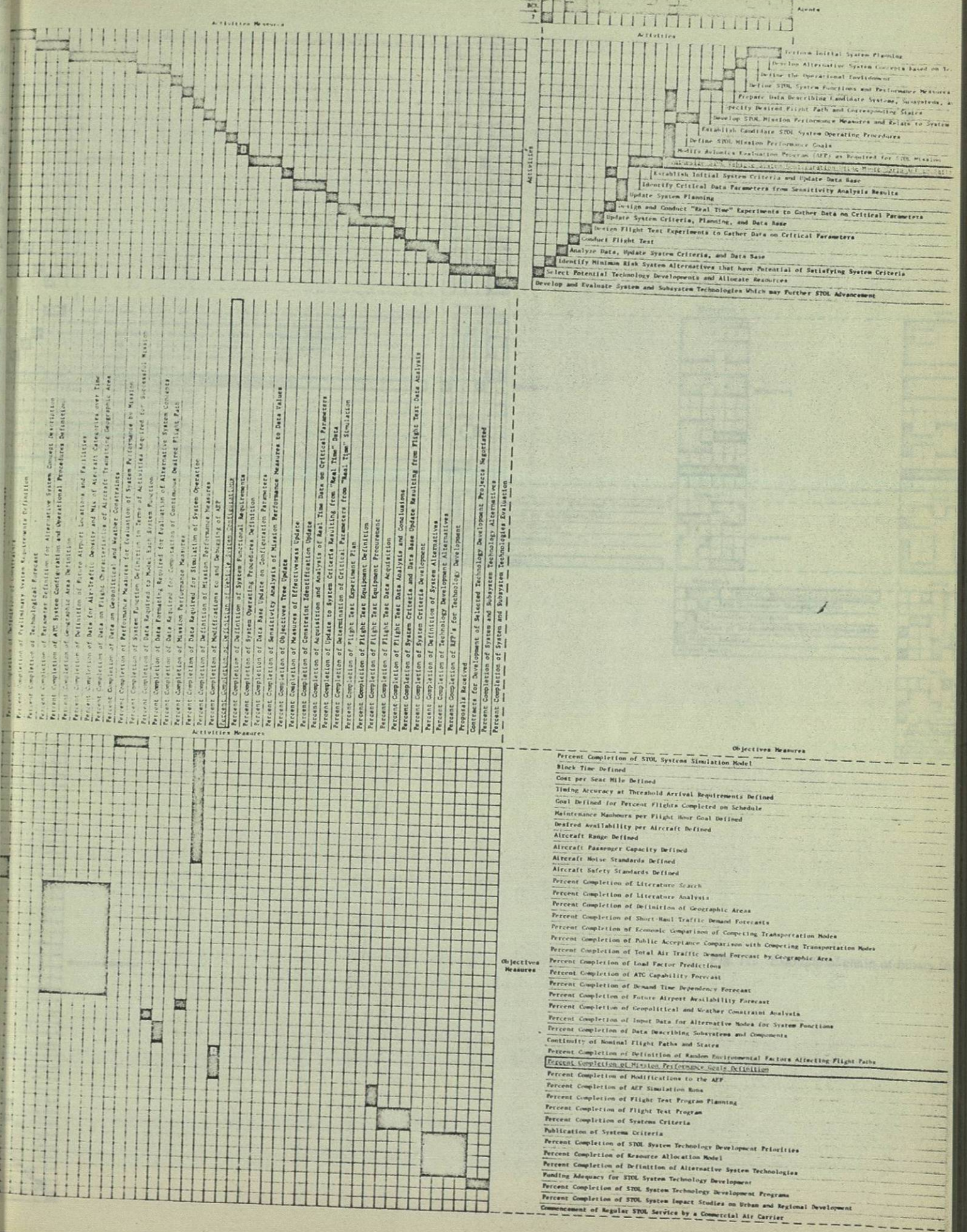
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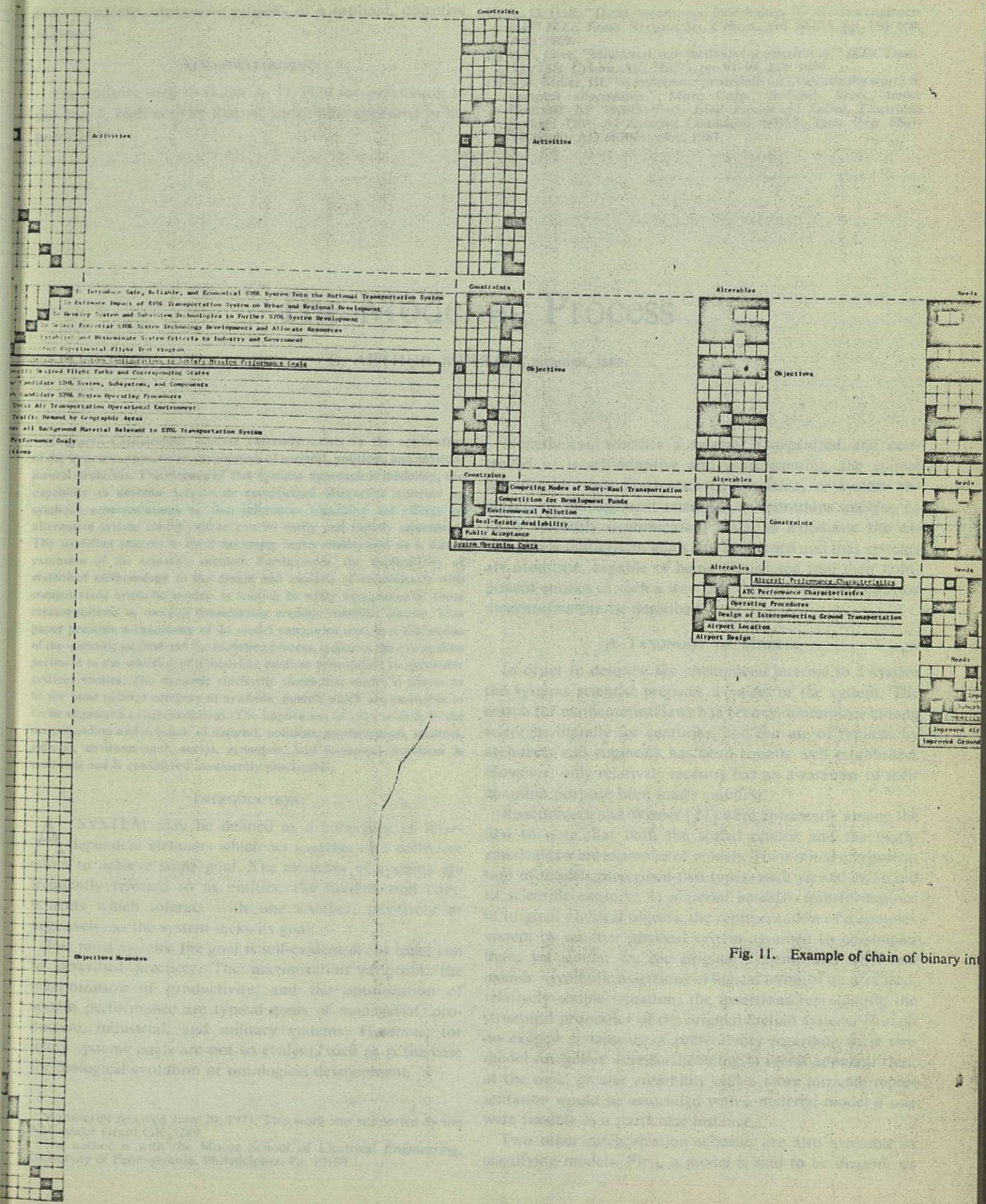


Fig. 11. Example of chain of binary interrelationships.